

$$x^2-3x+2=0 \quad \int a^a+b dx$$

$$y=f(x) \quad y=f(x) \quad x=b \pm \frac{\sqrt{b^2-4ac}}{2a}$$

# MATHEMATICS THE IMPERFECT SCIENCE

Did they invent  
infinity?

And make us  
believe it exists?

$$a+2\beta \geq \gamma \quad \lim_{x \rightarrow \infty} \frac{1}{x} = 0 \quad a+b^2=c^2$$

$$a_n = a_1(n-1)d \quad a+2\beta \geq \gamma \quad \lim_{x \rightarrow \infty} \frac{1}{x} = 0$$

$$a = mx + b$$

$$\sigma = \omega x + \rho$$

$$\sigma^u = \sigma^1(u-1)q \quad \sigma + 5b \leq \lambda \quad \lim_{x \rightarrow \infty} \frac{x}{j} = 0$$

$$\sigma + 5b \leq \lambda \quad \lim_{x \rightarrow \infty} \frac{x}{j} = 0 \quad \sigma + \rho_s = c_s$$

believe it exists?

And make us

believe it exists?

Did we invent

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# THE INVENTION OF MATHEMATICS

Mathematics is commonly treated as the intrinsic language of the universe—a Platonic truth awaiting discovery.

This book challenges that ontological status. It argues that mathematics is not discovered but constructed: a heuristic tool designed for survival, trade, and architecture, not for revealing cosmic truths.

Through paradoxes like infinity, Pi's irrationality, and Gödel's incompleteness theorems, the book exposes the structural fragility of the system.

Our formulas do not describe ultimate reality—they outline the limits of our abstraction.

## **Sample – Chapter 1: MATHEMATICS: TOOL, NOT TRUTH**

Mathematics was not invented at a specific moment, nor was it a discovery, as if it were a hidden truth waiting to be revealed. Mathematics was progressively built by different cultures, not as a pure science, but as a tool to solve urgent and practical problems. Its origin is not in the search for universal truth, but in the need to survive, to negotiate, to record the passage of time, and to organize communal life.

More than twenty thousand years ago, in the Paleolithic era, there were already signs of primitive mathematics. Marks carved on bones or stones were not an attempt to theorize about numbers, but a rudimentary way of counting. They served to keep a basic record of quantities that mattered: the animals hunted, the members of the clan, or the lunar cycles. It was a system of direct, one-to-one correspondence. One mark for each object. There was no abstraction—only a functional record.

Thousands of years later, in the civilizations of ancient Mesopotamia and Egypt, the tool became more sophisticated because needs became more complex. Agriculture required measuring land for planting and calculating the volume of harvests.

Trade required a system to record debts and profits. The construction of large structures, such as the pyramids, demanded formulas to calculate areas and volumes with functional precision. The Egyptians, for example, used empirical procedures to determine the area of a circle that worked well enough for their purposes. However, there was no theory behind those formulas; they were recipes—instructions followed because they produced a useful result.

The great turning point came in ancient Greece, around the 6th century BC.

Thinkers such as Pythagoras and, later, Euclid began to transform the nature of this tool. It ceased to be exclusively an instrument for measuring and counting, and became a system for reasoning. This is where the idea of

mathematics disconnected from  
immediate necessity was born.

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### **MATHEMATICS: TOOL, NOT TRUTH**

Its origin was survival, not universal  
truth.

### **THE FIRST CRACK IN THE SYSTEM**

How division exposed infinite error.

### **THE IMPOSSIBLE CIRCLE OF $\pi$ PI**

Why perfection collapses in practice.

### **INFINITY: THE INTELLECTUAL SURRENDER**

When " $\infty$ " is just a label for ignorance.



## **ZERO: THE FUNCTIONAL FICTION**

The invention that breaks the system.

## **THE ARCHITECTURE OF ERROR**

Why technology inherits mathematical flaws.

## **THE HIDDEN ERROR IN THE RATIONAL**

Even “exact” fractions hide approximation.

## **THE INCOMPLETE RULEBOOK**

Gödel proved no system is ever complete.

## **THE DOUBLE STANDARD OF THE MIND**

Why we accept some infinities and reject others.

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the code NEO10 if you  
purchase the full version of  
this book in PDF

The table below is one of the  
10 to 15 included in the  
complete book, offering  
additional perspectives to view  
the topics from other angles.

# THE FIRST CRACK: DIVISION AND THE LOSS OF REALITY

Concept	Description	Implication
Division's Practical Origin	Created to share quantities.	Simple in whole numbers, problematic in indivisible entities.
Non-exact Division	Example: $1 \div 3 = 0.333\dots$ infinite decimal.	Produces results with no physical equivalent, revealing a gap between model and reality.
Fraction as Patch	$1/3$ created as symbolic placeholder for infinite decimal.	Maintains internal coherence at the cost of correspondence to reality.
Quantum Division Analogy	Wave function "splits" in double-slit experiment.	Reinforces that division can be a functional fiction in physics, not a literal event.



# ARCHITECTURE OF ERROR IN TECHNOLOGY

Domain	Error Source	Empirical Case
Hardware	Overflow error when number exceeds representable limit.	CPU register overflow in computing.
Software	Rounding errors in floating-point representation.	0.299999999999999 output in spreadsheets.
Aerospace	Data type mismatch leading to catastrophic failure.	Ariane 5 rocket self-destruction in 1996 due to 64-bit to 16-bit conversion overflow.
Artificial Intelligence	Misclassification due to dataset bias or floating-point imprecision.	AI misidentifying wolf as dog due to snow in image.